

Beyond Correlation

Teasing apart cause and effect to make better business decisions

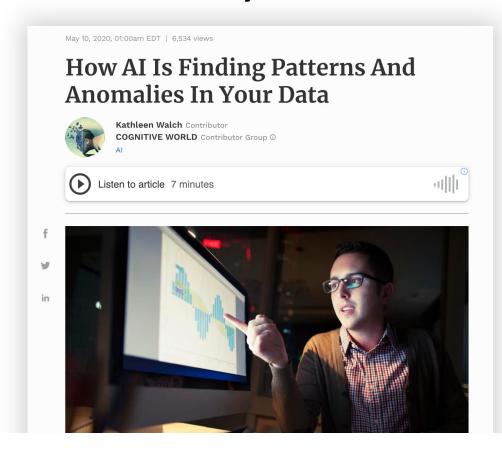
David Cox IBM Director, MIT-IBM Watson AI Lab CTO Forum 2022

Event CTO Forum

March 4, 2022

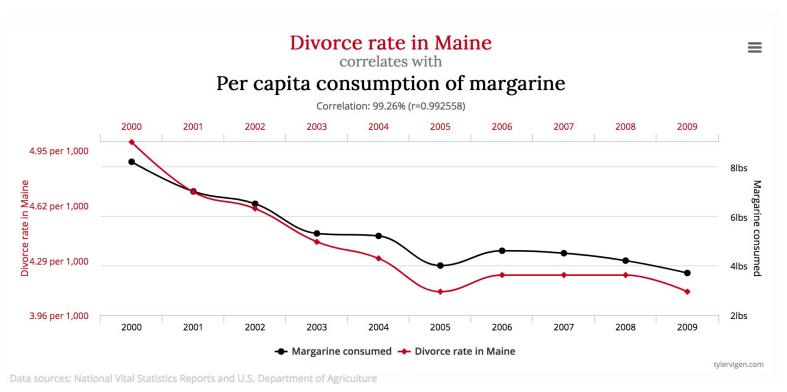


Most machine learning / deep learning today is fundamentally based on *correlations*



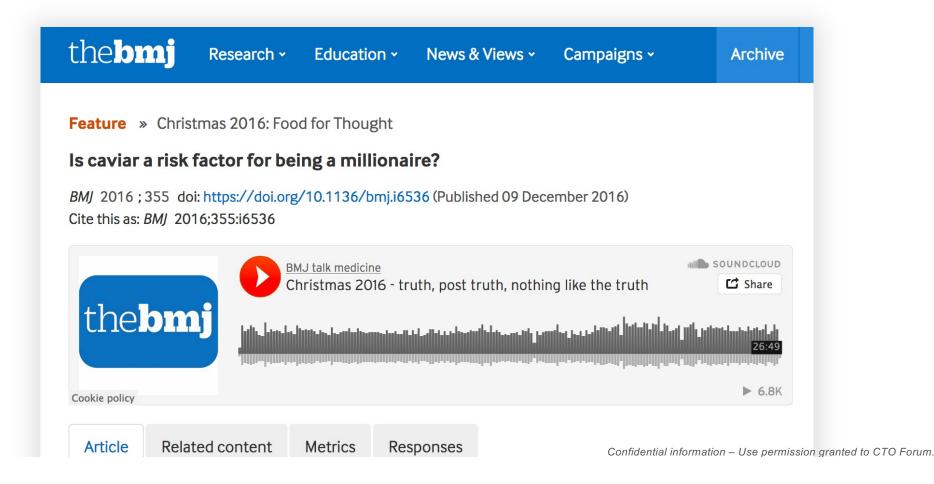


The Problem(s) with Correlation

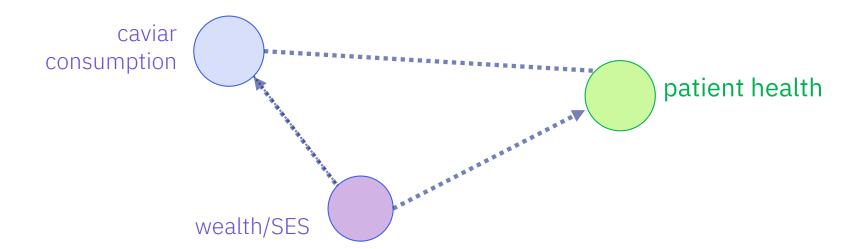


http://tylervigen.com/spurious-correlations

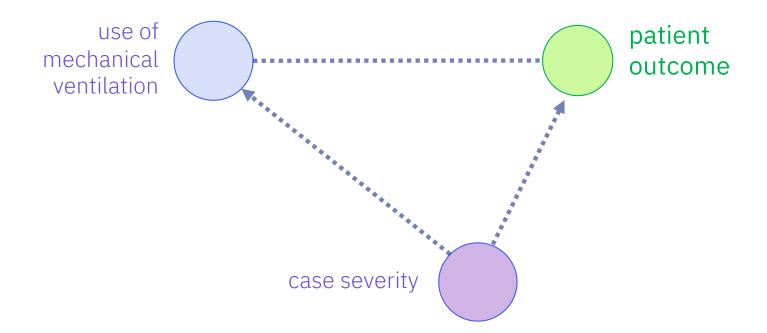
The Problem(s) with Correlation



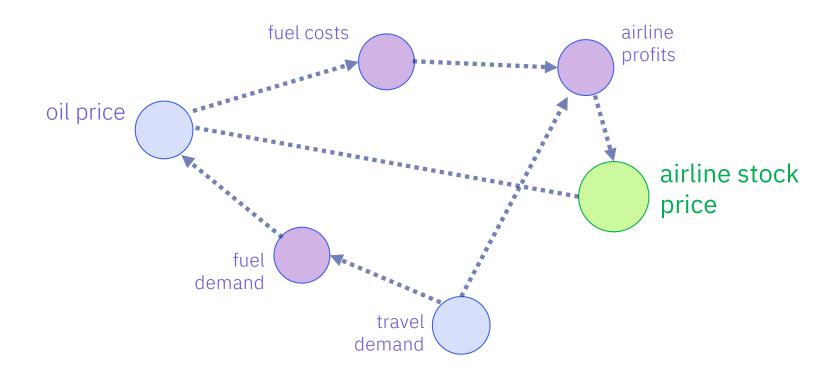
The tricky business of making decisions



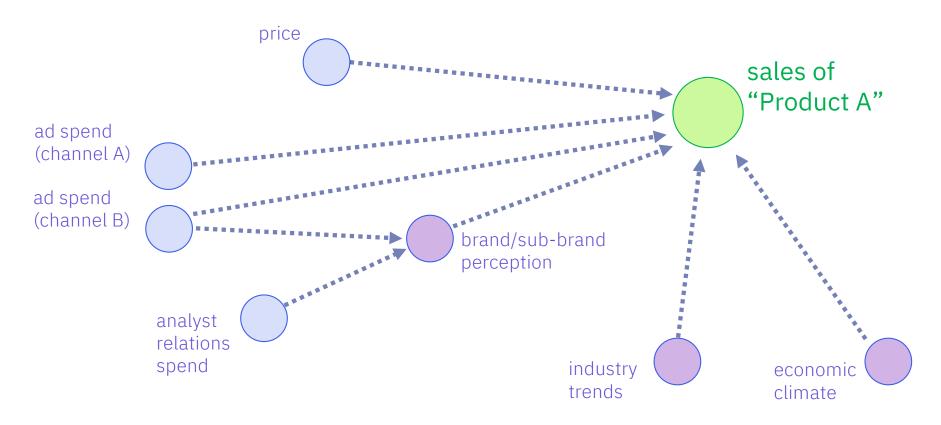
The tricky business of making decisions



The tricky business of making business decisions



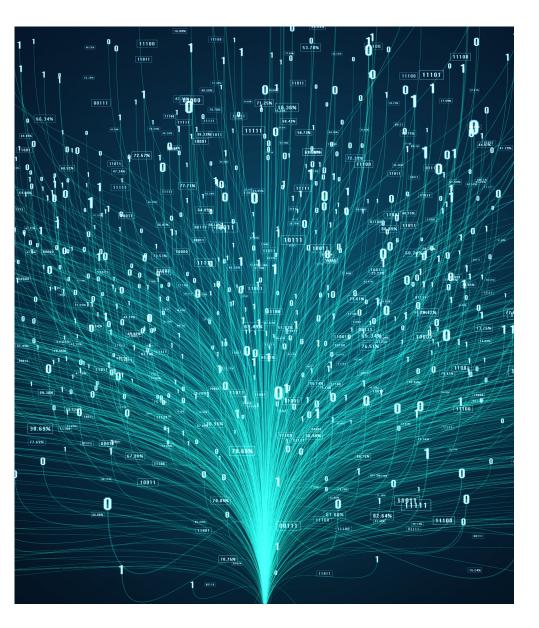
The tricky business of making business decisions



Causal Inference

A subfield of machine learning focused cause and effect relationships, including tools for:

- inferring putative causal structure
- designing experiments/interventions to assess causal structure
- making better decisions when causal structure is known.



A Case Study in Causal Inference for Customer Retention

Research Team



Kristjan Greenewald, Ph.D. IBM Research



Karthikeyan Shanmugan, Ph.D. IBM Research



Caroline Uhler, Ph.D.
Institute for Data, Systems, & Society MIT



High-Dimensional Featur

Kristjan Greenewald MIT-IBM Watson AI Lab

Abstract

The estimation of causal treatment from observational data is a fund problem in causal inference. To average the effect estimator must control for founders. Hence practitioners ofter data for as many covariates as possaise the chances of including the confounders. While this addresses this has the side effect of significantly ing the number of data samples required accurately estimate the effect due to creased dimensionality. In this work, sider the setting where out of a large ber of covariates X that satisfy strong ability, an unknown sparse subset of

High-Dimensional Feature Selection for Sample Efficient Treatment Effect Estimation

3. Show that $\hat{\theta}$ is the unique global minimum of the full objective (2).

Step 0: First, we verify a restricted strong convexity condition. Adapted from the q=1 case in Loh and Wainwright, 2017, we require the following property of the loss function:

Definition 4 (Joint Restricted Strong Convexity (Joint RSC)). We say a loss $\mathcal{L}_n(\theta)$, $\theta \in \mathbb{R}^{p \times q}$ satisfies an (α, τ) joint RSC condition if for all $\Delta \in \mathbb{R}^{p \times q}$

$$\langle \nabla \mathcal{L}_n(\theta + \Delta) - \nabla \mathcal{L}_n(\theta), \Delta \rangle \tag{6}$$

$$\geq \left\{ \begin{array}{ll} \alpha_1 \|\Delta\|_F^2 - \tau_1 \frac{\log p}{n} \|\Delta\|_{1,2}^2 & \|\Delta\|_F \leq 1 \\ \alpha_2 \|\Delta\|_F - \tau_2 \sqrt{\frac{\log p}{n}} \|\Delta\|_{1,2} & \|\Delta\|_F \geq 1. \end{array} \right.$$

The following is proven in supplement Section [11].

Lemma 3 (Joint RSC for least squares loss). Assume that $n \geq O(k \log p)$ and $n \geq 4R^2q \log p$. With high probability (at least $1 - qc_1 \exp(-cn)$), \mathcal{L}_n is (α, τ) -joint RSC for $\alpha_1 = \alpha_2 = \frac{1}{2} \min_j(\lambda_{\min}(\Sigma_x^{(j)}))$ and $\tau_1 = q$, $\tau_2 = \sqrt{q}$. Furthermore, the objective (5) is strongly convex on \mathbb{R}^S .

We also have that with high probability

$$\|\nabla \mathcal{L}_n(\theta^*)\|_{\infty,2} \le c' \sqrt{\frac{q \log p}{n}},$$
 (7)

by applying a norm inequality (2-norm is $\leq \sqrt{q}$ times infinity norm) to the union bounded bound in the proof of Corollary 1 in Loh and Wainwright, 2015 (the q=1 case) and using q < p.

yielding (since $\hat{\Gamma}_{SS}^{(j)}$ is invertible since $n \geq k$ by assumption)

$$\hat{\theta}_{Sj}^{\mathcal{O}} - \theta_{Sj}^* = (\hat{\Gamma}_{SS}^{(j)})^{-1} (-(\hat{\Gamma}_{SS}^{(j)} \theta_{Sj}^* - \hat{\gamma}_S^{(j)}). \tag{10}$$

Appendix D.1.1 of Loh and Wainwright, 2017 showed that

$$\left\| (\hat{\Gamma}_{SS}^{(j)})^{-1} (\hat{\Gamma}_{SS}^{(j)} \theta_{Sj}^* - \hat{\gamma}_S^{(j)}) \right\|_{\infty} \le \lambda_{\max}^{1/2} (\Sigma_x^{(j)}) \sigma_{\epsilon} \sqrt{\frac{2 \log p}{n}}, \tag{11}$$

with probability at least $1 - c_1'' \exp(-c_2'' \min(k, \log p))$.

Hence we obtain via the union bound that

$$\|\hat{\theta}^{\mathcal{O}} - \theta^*\|_{\infty,\infty} \le c_3 \sqrt{\frac{\log p}{n}}, \|\hat{\theta}^{\mathcal{O}} - \theta^*\|_{\infty,2} \le c_3 \sqrt{\frac{q \log p}{n}}$$
(12)

with probability at least $1 - c_1 \exp(-c_2 \min(k, \log p))$ (since $k > \log q$ and p > q) where c_1, c_2, c_3 are constants.

Now we have the following result, proved in supplement Section [13]

Lemma 5. Suppose ρ_{λ} is (μ, γ) amenable and

$$\theta_{\min}^* = \min_{i \in S} \|\theta_{i:}^*\|_2 \ge \lambda \gamma + c_3 \sqrt{\frac{\log p}{n}}.$$

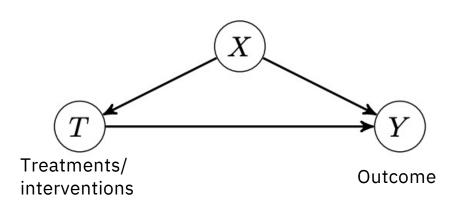
Then with probability at least $1 - c_1 \exp(-c_2 \min(k, \log p))$

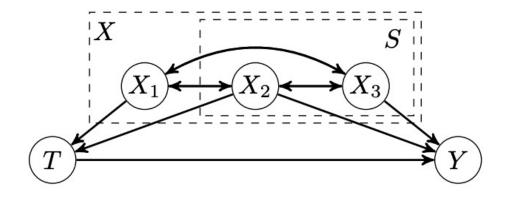
$$\lambda \hat{z}_{i:} - \nabla q_{\lambda}(\|\hat{\theta}_{i:}\|_2) = 0 \quad \forall i \in S.$$

Lemma 5 implies that if θ^*_{\min} satisfies the given condition, then $\nabla_{\theta_S} \rho_{\lambda}(\hat{\theta}_{S:}) = 0$, implying that $\hat{\theta}^{\mathcal{O}}$ is a zero Confidential information — Use permission granted to CTO Forum.

High-dimensional treatment effect estimation

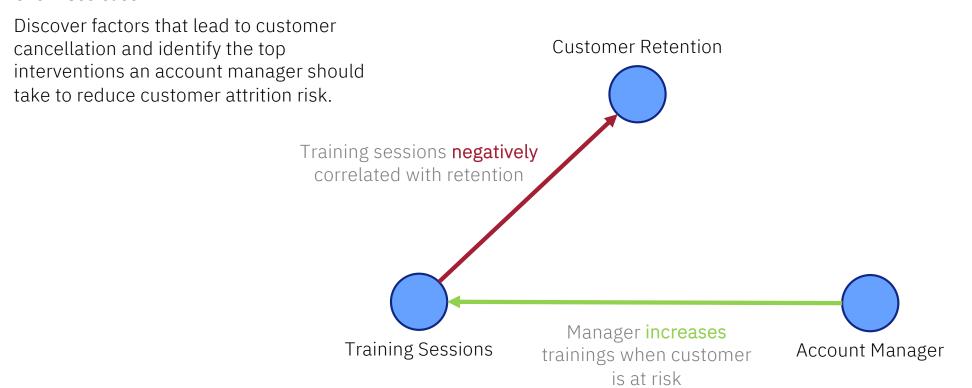
(Potentially Confounding) Covariates





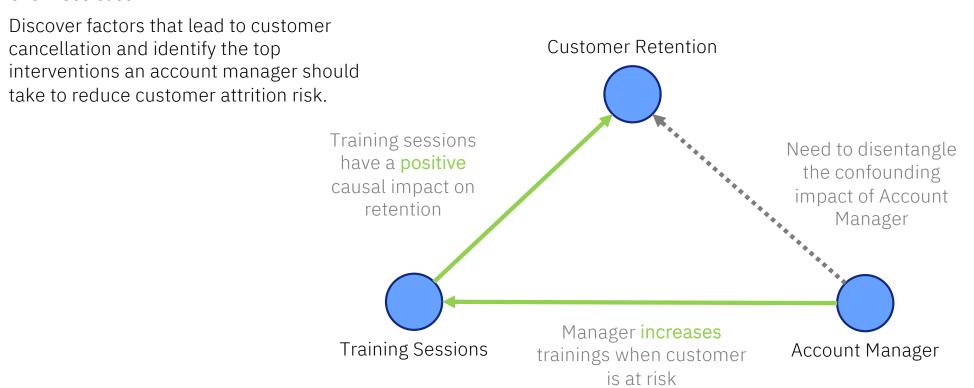
What Factors Drive Customer Retention?

Client Use Case



What Factors Drive Customer Retention?

Client Use Case



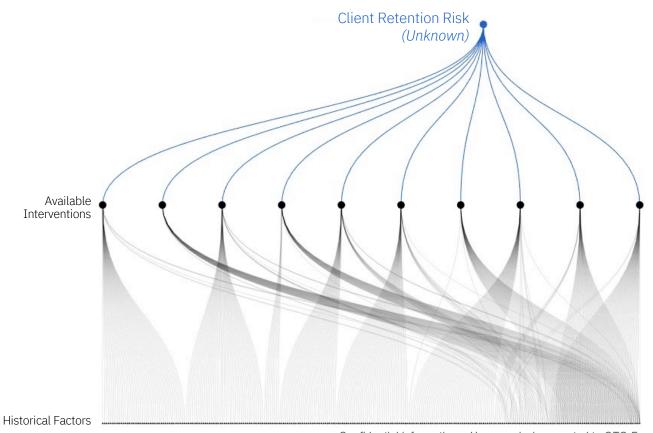
Identifying Causal Structure

Step 1

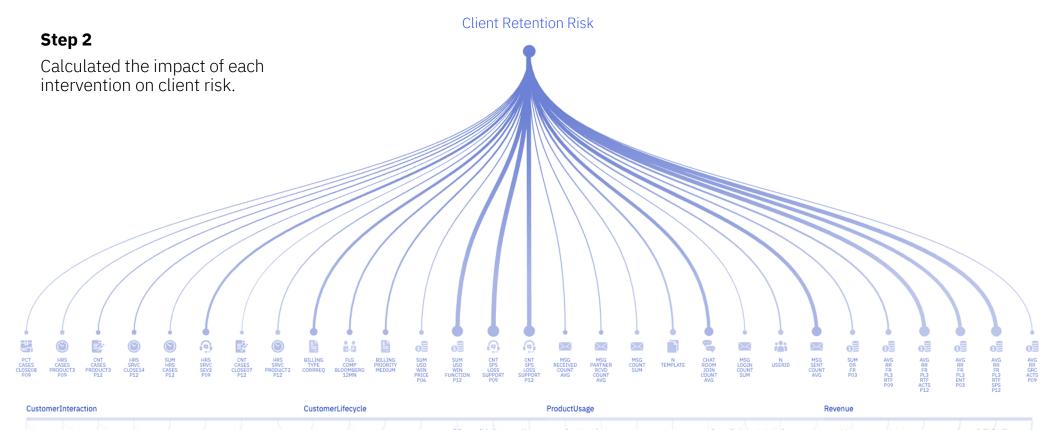
Discovered the causal structure for a subset of Refinitiv's client risk data.

Insights

Different contextual factors will influence the effectiveness of any given intervention



Calculating Intervention Impact



Calculating Intervention Impact

Step 2

Calculated the impact of each intervention on client risk.

Insights

Intervention: Eliminate all price

correction billing issues

Impact: 6% reduction in average

client retention risk



BILLING_TYPE_CORREQ

Eliminate all price correction billing issues

Client Retention Risk

Calculating Intervention Impact

Step 2

Calculated the impact of each intervention on client risk.

Insights

<u>Intervention</u>: Eliminate all Severity 2 Service Requests

Impact: 5% reduction in average

client retention risk



Eliminate all severity 2 service requests

Causation vs. Correlation

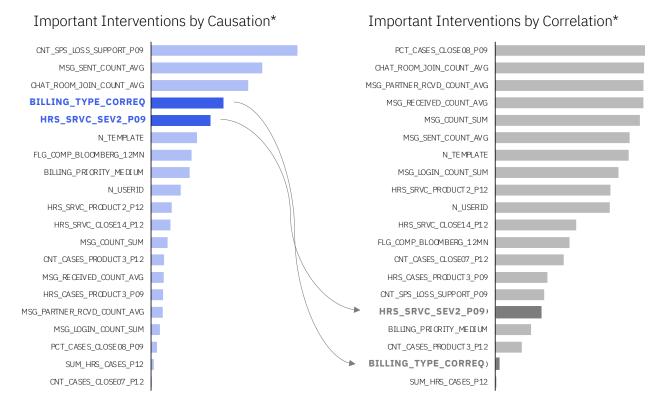
Step 2

Calculated the impact of each intervention on client risk.

Comparing Correlation to Causation.

Insights

Correlation-based models understate the importance of high impact interventions.



*Analysis is constrained to a subset of 20 non-revenue related interventional variables.

*Confidential information — Use permission granted to CTO Forum.

Causation vs. Correlation

Step 2

Calculated the impact of each intervention on client risk.

Compared Correlation to Causation.

Insights

Correlation Model:

If I can increase the number of messages people send via chat, my customer risk will decrease.

Causation Model:

If I can eliminate the need for people to send messages via chat, my customer risk will decrease.

Top 5 Interventions by Causation	Causation	Correlation
CNT_SPS_LOSS_SUPPORT_P09 Eliminate loss of service	0.13	-0.02
MSG_SENT_COUNT_AVG Eliminate need for chat room messages	0.08	-0.02
CHAT_ROOM_JOIN_COUNT_AVG Eliminate need for chat room joins	0.07	-0.05
BILLING_TYPE_CORRREQ Eliminate price correction billing issues	0.04	0.00
HRS_SRVC_SEV2_P09 Eliminate severity 2 service requests	0.04	0.02

Intervention decreases risk

Intervention increases risk

 MIT-IBM Watson AI Lab
 Causal Inference
 2022
 21

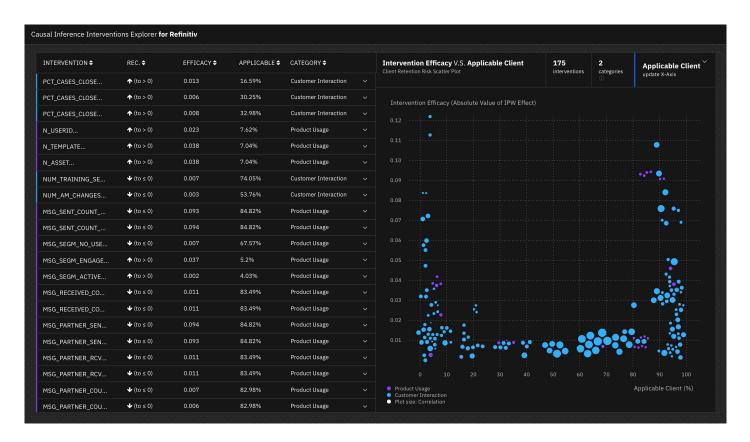
Prioritizing Interventions

Step 3

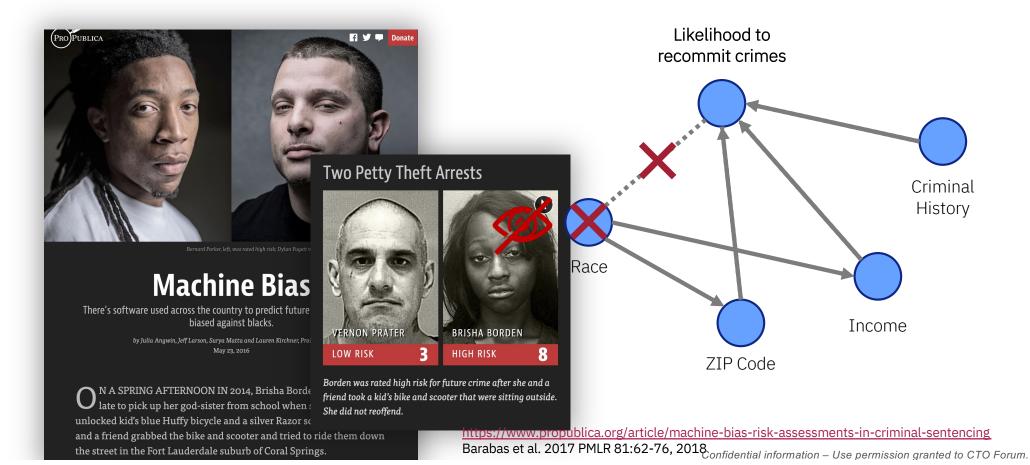
Applied results to 175 high priority interventions, and created prioritization matrix.

Insights

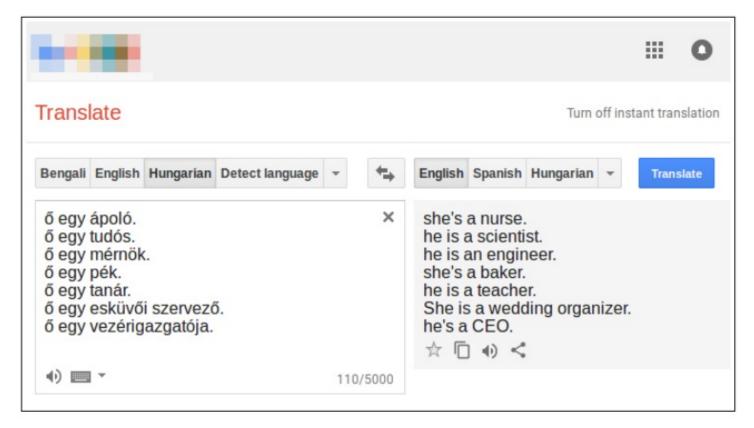
There can be significant tradeoff between the most impactful interventions, and the percent of the population where the intervention can be applied.



Causal Inference for Fairness



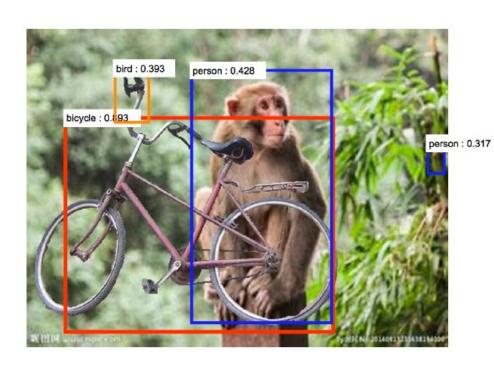
Algorithmic Bias is Widespread

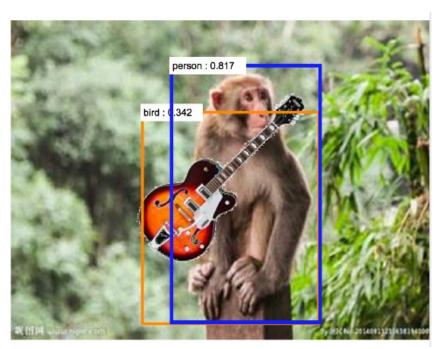


Pratas et al. 2019 "Assessing Gender Bias in Machine Translation – A Case Study with Google Translate"

Confidential information – Use permission granted to CTO Forum.

Algorithmic Bias is Widespread





Causal Explainability



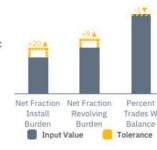
Congratulations, your loan application has been approved.

If instead you had the following values, your application would have been rejected:

· NetFractionRevolvingBurden: 55

NetFractionInstallBurden: 93

PercentTradesWBalance: 68



(a) Positive counterfactual explanation



Sorry, your loan application has been rejected.

If instead you had the following values, your application would have been approved:

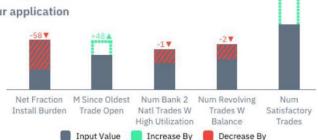
• MSinceOldestTradeOpen: 161

NumSatisfactoryTrades: 36

NetFractionInstallBurden: 38

· NumRevolvingTradesWBalance: 4

NumBank2NatlTradesWHighUtilization: 2

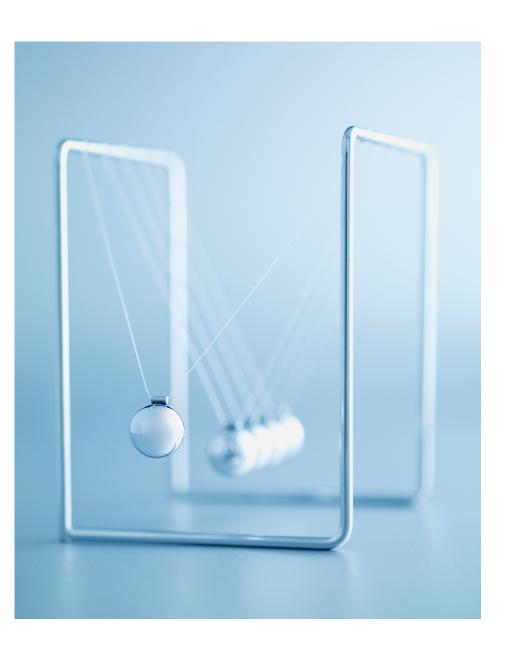


(b) Counterfactual explanation

Counterfactual Explanations:

"the outcome would have been different if the following were true"

McGrath et al. 2018 "Interpretable Credit Application Predictions With Counterfactual Explanations"



Beyond Correlation

Teasing apart cause and effect to make better business decisions

David Cox IBM Director, MIT-IBM Watson AI Lab CTO Forum 2022

Event CTO Forum

March 4, 2022

